Unit/ Duration	<b>Essential Questions</b>	Content	Skills	Assessment	Standards
Unit 1: Foundations for Algebra 4 Weeks	<ul> <li>What is additive inverse?</li> <li>What is the difference between a numerical expression and an algebraic expression?</li> <li>What is the difference between a rational and irrational number?</li> <li>What is the difference between a variable and a constant?</li> <li>When using PEMDAS to simplify an expression, must multiplication occur prior to</li> </ul>	<ul> <li>algebraic expressions can be evaluated</li> <li>commutative, associative, and distributive properties can be used to simplify expressions</li> <li>expressions containing exponents can be solved using multiple steps</li> <li>like terms must be combined before an expression is simplified</li> <li>numbers can be classified within the real number system</li> <li>order of operations can be</li> </ul>	<ul> <li>Describe situations in which opposite quantities combine to make 0.</li> <li>Understand p + q as the number located a distance  q  from p, in the positive or negative direction depending on whether q is positive or negative. Show that a number and its opposite have a sum of 0 (are additive inverses). Interpret sums of rational numbers by describing real-world contexts.</li> </ul>	<ul> <li>classwork practice page</li> <li>cooperative learning tasks</li> <li>exit ticket</li> <li>games</li> <li>homework</li> <li>manipulatives</li> <li>notebook activities</li> <li>quiz</li> <li>self assessment</li> <li>slate practice</li> <li>teacher observation</li> <li>unit assessment</li> <li>Written Questions / Exercises with</li> </ul>	MA.7.CCSS.Math.Content. 7.NS.A.1a  MA.7.CCSS.Math.Content. 7.NS.A.1b  MA.7.CCSS.Math.Content. 7.NS.A.1c  MA.7.CCSS.Math.Content. 7.NS.A.2a  MA.7.CCSS.Math.Content. 7.NS.A.2b  MA.7.CCSS.Math.Content. 7.NS.A.2c  MA.7.CCSS.Math.Content. 7.NS.A.2c  MA.7.CCSS.Math.Content. 8.NS.A.1  MA.8.CCSS.Math.Content. 8.NS.A.1  MA.8.CCSS.Math.Content. 8.NS.A.2  MA.8.CCSS.Math.Content. 8.NS.A.2  MA.8.CCSS.Math.Content. 8.E.A.1  MA.8.CCSS.Math.Content. 8.E.A.2

<ul> <li>Why is it critical to put parenthes around the base if the base is negative?</li> </ul>	used to simplify expressions  ordered pairs are graphed on a coordinate plane  real numbers can be added, subtracted, multiplied, and divided  words can be translated into algebra	• Understand subtraction of rational numbers as adding the additive inverse, $p-q=p+(-q)$ . Show that the distance between two rational numbers on the number line is the absolute value of their difference, and apply this principle in realworld contexts.	Short, Extended or Multiple-choice Answers	tent.8.F.A.1
		• Understand that multiplication is extended from fractions to rational numbers by requiring that operations continue to satisfy the properties of operations, particularly the distributive property, leading to products such as (-1)(-1) = 1		

and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world contexts.
Understand that
integers can be
divided, provided
that the divisor is
not zero, and
every quotient of
integers (with non-zero divisor)
is a rational
number. If <i>p</i> and
q are integers,
then $-(p/q) = (-$
p)/q = p/(-q).
Interpret
quotients of
rational numbers
by describing
real-world
contexts.
Apply properties
of operations as
strategies to
multiply and

divide rational numbers.  Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with rational coefficients.  Know that there are not rational, and approximate them by rational numbers.  Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats	T	1	ı	
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decimal expansion				
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I PER		-		
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eventually, and convert a decimal expansion which repeats eventually into a rational number.
Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., π²).
<ul> <li>Know and apply the properties of integer exponents to generate equivalent numerical expressions.</li> <li>Use square root and cube root</li> </ul>

symbols to represent solutions to equations of the form $x^2 = p$ and $x^2 = p$ , where $x^2 = p$ is positive rational number. Evaluately square roots of small perfect squares and control roots of small perfect cubes. Know that $\sqrt{2}$ is irrational.	d x <sup>3</sup> s a al ate f
Understand the function is a ruthat assigns to each input exactly one output. The groof a function is the set of order pairs consisting of an input and the corresponding output.	aph sered

Unit/ Duration	<b>Essential Questions</b>	Content	Skills	Assessment	Standards
Unit 2: Equations 5 Weeks	<ul> <li>How do you decide the order in which you solve an equation that requires several steps?</li> <li>How do you decide which inverse operation to use first when solving a two-step equation?</li> <li>In what situations would it be necessary to solve an equation for a given variable?</li> </ul>	<ul> <li>an equation can be solved for one variables when multiple variables exist</li> <li>equations containing absolute value expressions can result in more than one answer</li> <li>equations with more than one step can be solving with using more than one operation</li> <li>formulas can be solved for a given variable</li> <li>inverse operations must be used when solving equations with variables on</li> </ul>	<ul> <li>Analyze proportional relationships and use them to solve real-world and mathematical problems.</li> <li>Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other quantities measured in like or different units.</li> <li>Recognize and represent proportional relationships between quantities.</li> <li>Decide whether two quantities are in a proportional</li> </ul>	<ul> <li>Cooperative learning tasks</li> <li>Games</li> <li>Homework</li> <li>Manipulatives</li> <li>Notebook Activities</li> <li>Quiz</li> <li>Slate Practice</li> <li>Teacher observation</li> <li>Unit assessment</li> </ul>	MA.7.CCSS.Math.Content. 7.RP.A  MA.7.CCSS.Math.Content. 7.RP.A.1  MA.7.CCSS.Math.Content. 7.RP.A.2  MA.7.CCSS.Math.Content. 7.RP.A.2a  MA.7.CCSS.Math.Content. 7.RP.A.3  MA.7.CCSS.Math.Content. 7.EE.A  MA.7.CCSS.Math.Content. 7.EE.A.1  MA.7.CCSS.Math.Content. 7.EE.B.3  MA.7.CCSS.Math.Content. 7.EE.B.3

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	one-step equations can be solving using addition, subtraction, multiplication, and division     percent decrease describes an amount that has been reduced     percent increase describes an amount that has grown     percents are used to solve problems and estimate     proportions and similar figures are used to measure objects indirectly	relationship, e.g., by testing for equivalent ratios in a table or graphing on a coordinate plane and observing whether the graph is a straight line through the origin.  Represent proportional relationships by equations.  Use proportional relationships to solve multistep ratio and percent problems.  Use properties of operations to generate equivalent expressions.		
	<ul> <li>proportions are used to solve problems involving</li> </ul>	Apply properties of operations as strategies to add, subtract, factor,		

geometric figures  • when comparing two numbers, they can written as ratios, rates and unit rates	and expand linear expressions with rational coefficients.  • Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any
	form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations to calculate with numbers in any form; convert between forms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies.
	Use variables to

Unit/ Duration	<b>Essential Questions</b>	Content	Skills	Assessment	Standards
Unit 3: Inequalities 4 Weeks	<ul> <li>How do you change from the variable being on the right side of the inequality to the left side of the inequality without changing the meaning of the inequality?</li> <li>How do you decide whether a compound inequality represents an intersection or a union?</li> <li>How do you determine whether an absolute value inequality should be written as an intersection or a union?</li> <li>How is the</li> </ul>	<ul> <li>an inequality is a statement that two quantities are not equal</li> <li>inequalities that contain more than one operation require more than one step to solve</li> <li>inequalities with one variable can be solved using addition, subtraction, multiplication, or division</li> <li>the solution of an inequality is any value that makes the inequality true</li> <li>when an inequality contains variables on both</li> </ul>	<ul> <li>Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any form (whole numbers, fractions, and decimals), using tools strategically.</li> <li>Apply properties of operations to calculate with numbers in any form; convert between forms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies.</li> <li>Use variables to</li> </ul>	<ul> <li>Classwork practice page</li> <li>Cooperative Learning Tasks</li> <li>Games</li> <li>Homework</li> <li>Manipulatives</li> <li>Notebook Activities</li> <li>Quiz</li> <li>Slate Practice</li> <li>Teacher Observations</li> <li>Unit Assessment</li> </ul>	MA.7.CCSS.Math.Con tent.7.EE.B.3     MA.7.CCSS.Math.Con tent.7.EE.B.4     MA.7.CCSS.Math.Con tent.7.EE.B.4b

approach for solving an inequality different from solving an equation?	sides, you can use the properties of inequality to "collect" all the variable terms on one side  • when two simple inequalities are combined into one statement by the words AND or OR, the result is called a compound inequality	equations and inequalities to solve problems by reasoning about the quantities.	
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Unit/ Duration	Essential Questions	Content	Skills	Assessment	Standards
Unit 4: Functions 4 Weeks	<ul> <li>How do you determine whether a relation is a function and how to you determine both its domain and range?</li> <li>How does a graph represent real world situations?</li> <li>What can you look for in a graph to determine if it's a function?</li> </ul>	<ul> <li>a function is a special type of relation that pairs each domain with exactly one range</li> <li>a scatter plot is a graph with points plotted to show a possible relationship between two sets of data</li> <li>a sequence is a list of numbers that often forms a pattern</li> <li>an arithmetic sequence is when the terms in a sequence differ by the same nonzero number</li> <li>domain is the x-values and range is the y-values</li> <li>each number in a</li> </ul>	<ul> <li>Define, evaluate, and compare functions.</li> <li>Understand that a function is a rule that assigns to each input exactly one output. The graph of a function is the set of ordered pairs consisting of an input and the corresponding output.</li> <li>Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions).</li> <li>Use functions to</li> </ul>	<ul> <li>Assessment</li> <li>Classwork practice page</li> <li>Cooperative learning tasks</li> <li>Games</li> <li>Homework</li> <li>Manipulatives</li> <li>Notebook Activities</li> <li>Quiz</li> <li>Slate practice</li> <li>Teacher observation</li> </ul>	MA.8.CCSS.Math.Content.8.F.A.     MA.8.CCSS.Math.Content.8.F.A.1     MA.8.CCSS.Math.Content.8.F.B.     MA.8.CCSS.Math.Content.8.F.B.     MA.8.CCSS.Math.Content.8.F.B.5

sequence is	model
called a term	relationships
	between
graphs can be	quantities.
used to illustrate	quantitios.
many different	Describe
real-world	qualitatively the
situations	functional
ondanono	relationship
graphs that are	between two
connected lines	quantities by
or curved lines	analyzing a graph
are called	(e.g., where the
continuous	function is
graphs	increasing or
3.560	decreasing, linear
graphs that have	or nonlinear).
distinct points are	Sketch a graph
called discrete	that exhibits the
graphs	qualitative
3 - 1	features of a
<ul> <li>relationships can</li> </ul>	function that has
be represented	been described
by a set of	verbally.
ordered pairs	Volumy.
called a relation	
<ul> <li>the input of a</li> </ul>	
function is called	
the independent	
variable	
<ul> <li>the output of a</li> </ul>	
function is called	

the dependent variable		
there are three types of correlations: positive, negative, and no correlation		
trend lines can be used to make predictions		

Unit/ Duration	<b>Essential Questions</b>	Content	Skills	Assessment	Standards
Unit 5: Linear Functions 5 Weeks	<ul> <li>How would you graph a linear equation by finding both the x and y intercepts as opposed to plotting selected points?</li> <li>What is the relationship between the slopes of perpendicular</li> </ul>	<ul> <li>A direct variation is a special type of linear relationship that can be written in the form y = kx, where k is a nonzero constant called the constant of variation</li> <li>A family of functions is a set</li> </ul>	Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two different proportional relationships represented in different ways.  Use similar	<ul> <li>Classwork practice page</li> <li>Cooperative Learning Tasks</li> <li>Games</li> <li>Homework</li> <li>Manipulatives</li> <li>Notebook</li> </ul>	MA.8.CCSS.Math.Con tent.8.EE.B.5     MA.8.CCSS.Math.Con tent.8.EE.B.6     MA.8.CCSS.Math.Con tent.8.EE.C.8a     MA.8.CCSS.Math.Con tent.8.EE.C.8b     MA.8.CCSS.Math.Con tent.8.F.A     MA.8.CCSS.Math.Con tent.8.F.A.1

Ilines?  What is the slope of a given line and how do you find it both graphically and algebraically?  When would you use each of the various form of a linear equation?  In the state of the various form of a linear equation?	whose graphs have basic characteristics in common  a graph whose function forms a straight line is called a linear function  a linear equation is any equation that can be written in standard form  a parent function is the most basic function in a family  a rate of change is a ratio that compares the amount of change in a dependent variable to the amount of change in an	angles to splain why the ope m is the ame between my two distinct points on a non-ertical line in the coordinate plane; erive the quation $y = mx$ or a line through e origin and the quation $y = mx$ b for a line tercepting the ertical axis at b.  Inderstand that plutions to a vertem of two inear equations two variables or respond to points of tersection of eir graphs, ecause points of tersection attisfy both quations multaneously.  Activities  Quiz  In Teacher Observation  Unit Assess  Teacher Observation  Teacher Observation	ns
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<ul> <li>variable</li> <li>a reflection is a transformation across a line that produces a mirror image</li> <li>a rotation is a transformation about a point</li> </ul>	two linear equations in two variables algebraically, and estimate solutions by graphing the equations. Solve simple cases by inspection.
	Define, evaluate,
<ul> <li>a transformation is change in position or size of</li> </ul>	and compare functions.
a figure	Understand that a
<ul> <li>a translation is a type of transformation</li> </ul>	function is a rule that assigns to each input exactly one
that moves every point the same distance in the same same direction	output. The graph of a function is the set of ordered pairs consisting of an input and
An absolute- value function is a function whose rule contains an	the corresponding output.
absolute-value expression	Compare     properties of two     functions each
Parallel lines are lines in the same	represented in a

$\overline{}$		T		_	
	plane that have		different way		
	no points in		(algebraically,		
	common		graphically,		
	ı		numerically in		
•	<ul> <li>Perpendicular</li> </ul>		tables, or by		
	lines are lines		verbal		
	that intersect to		descriptions).		
	form right angles				1
	g ag.00	•	Interpret the		
•	•The axis of		equation $y = mx$		1
	symmetry is the		+ b as defining a		,
	line that divides		linear function,		
	the graph into two		·		
	congruent halves		whose graph is a		,
	congruent naives		straight line; give		
_	•The rise is the		examples of		
•			functions that are		
	difference in the		not linear.		
	y-values of two		115.7		
	points on a line	•	Use functions to		
	aTh a mark to the		model		
•	•The run is the		relationships		
	difference in the		between		
	x-values of two		quantities.		
	points on a line		ì		
		•	Construct a		
•	•The slope of a		function to model		
	line is the ratio of		a linear		
	rise to run for any		relationship		
	two points on the		between two		
	line		quantities.		
	!		Determine the		
•	•The vertex is the		rate of change		
	"corner" point on		and initial value		
			value		

the graph	of the function
	from a description
•The x-intercept	of a relationship
is the x-	or from two $(x, y)$
coordinate of the	values, including
point where the	reading these
graph intersects	from a table or
the x-axis	from a graph.
	Interpret the rate
•The y-intercept	of change and
is the y-	initial value of a
coordinate of the	linear function in
point where the	terms of the
graph intersects	situation it
the y-axis	models, and in
ano y ano	terms of its graph
	or a table of
	values.
	values.
	Describe
	qualitatively the
	functional
	relationship
	between two
	quantities by
	analyzing a graph
	(e.g., where the
	function is
	increasing or
	decreasing, linear
	or nonlinear).
	Sketch a graph
	that exhibits the
l .	1 1

	qualitative features of a function that has been described verbally.	